

Higher Order Predictor Scheme

Let

$$\underline{d} = \underline{\bar{d}}(\lambda) + \underline{B} \underline{u}$$

\uparrow all displacements \uparrow user-spec. init. displ. \uparrow boolean operator \uparrow unknown displ. contrib.

$$\underline{z} = \begin{bmatrix} \underline{u} \\ \lambda \end{bmatrix}$$

$$\underline{u} = \underline{B}' (\underline{d} - \underline{\bar{d}}(\lambda)) \quad (2)$$

\uparrow inverse boolean operator (BBEV)

At end of loadstep we have \underline{d} , \underline{d}_0 , \underline{z} .

We wish to estimate

$$\underline{z}(\Delta\gamma) = \underline{z} + \Delta\gamma \dot{\underline{z}} + \frac{1}{2} (\Delta\gamma)^2 \ddot{\underline{z}} \quad (3)$$

Evaluation of Backward Increments.

$$\Delta \underline{z} = \underline{z}_0 - \underline{z} = \begin{bmatrix} \lambda_0 - \lambda \\ \underline{u}_0 - \underline{u} \end{bmatrix} = \begin{bmatrix} \Delta\lambda \\ \Delta \underline{u} \end{bmatrix} \quad (4)$$

$$\Delta \underline{u} = \underline{u}_0 - \underline{u} = \underline{B}' [\underline{d}_0 - \underline{d} - \underline{\bar{d}}(\lambda_0) + \underline{\bar{d}}(\lambda)] \quad (5)$$

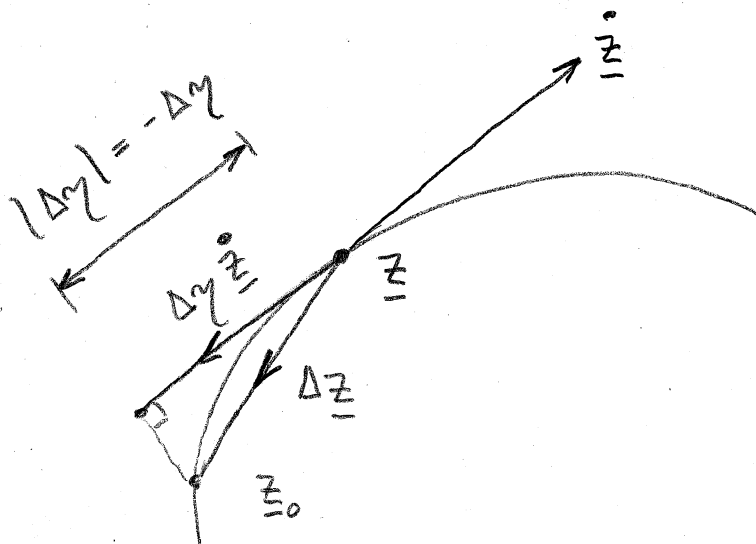
$$\Delta\gamma = \Delta \underline{z} \cdot \dot{\underline{z}} \quad (\text{negative}) \quad (6)$$

For this $\Delta\gamma$:

$$\underline{z}(\Delta\gamma) = \underline{z}_0 = \underline{z} + \Delta\gamma \dot{\underline{z}} + \frac{1}{2} \Delta\gamma^2 \ddot{\underline{z}} \quad (7)$$

$$\Rightarrow \frac{1}{2} \Delta \eta^2 \ddot{\underline{z}} = \underline{z}_0 - \underline{z} - \Delta \eta \dot{\underline{z}} \\ = \Delta \underline{z} - \Delta \eta \dot{\underline{z}}$$

$$\ddot{\underline{z}} = \frac{2}{\Delta \eta^2} (\Delta \underline{z} - \Delta \eta \dot{\underline{z}}) \quad (8)$$



Procedure

1) get Δu from (5); (store in BB)

Also form $\Delta \lambda$ from (4). (store in DTIME).

2) get $\Delta \eta$ from (6). (Call this DETAB)

3) get $\ddot{\underline{z}}$ from (8). (store in BB-L)

4) Use (3) to calculate predictor value for next step.